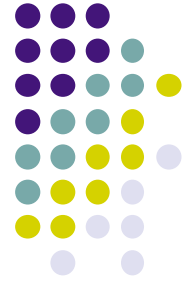


Semantic rules for kernel language instructions

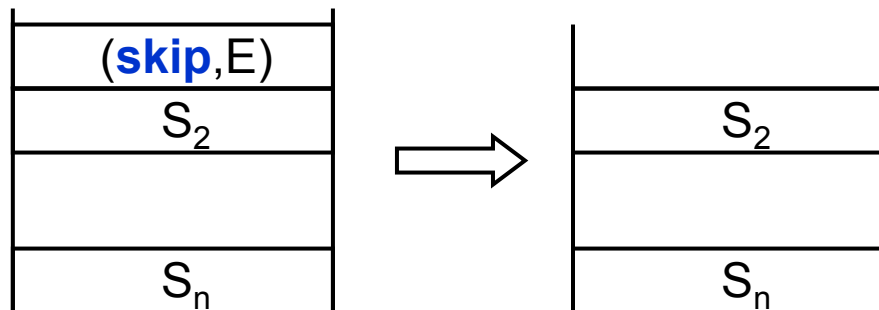


- For each instruction in the kernel language, we will define its rule in the abstract machine
- Each instruction takes one execution state as input and returns one execution state
 - Execution state = semantic stack + memory
- Let's look at three instructions in detail:
 - **skip**
 - $\langle s \rangle_1 \langle s \rangle_2$ (sequential composition)
 - **local** $\langle x \rangle$ **in** $\langle s \rangle$ **end**
- We will see the others in less detail. You can learn about them in the exercises and in the book.

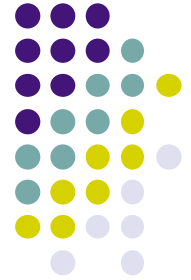


skip

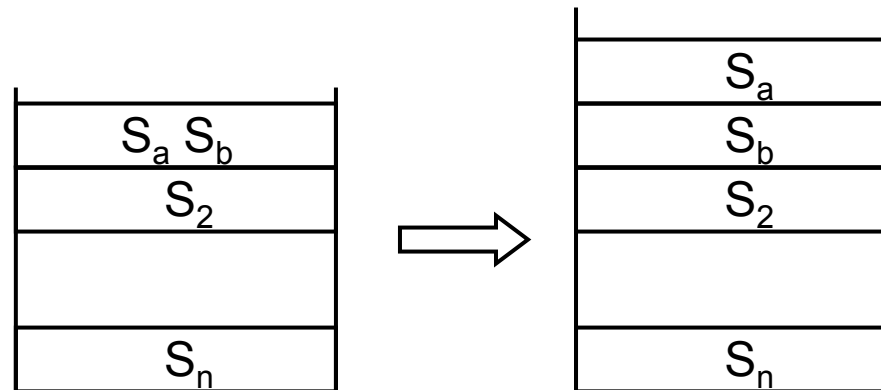
- The simplest instruction
- It does nothing at all!
- Input state: $([(\text{skip}, E), S_2, \dots, S_n], \sigma)$
- Output state: $([S_2, \dots, S_n], \sigma)$
- That's all

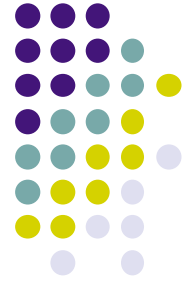


$\langle s \rangle_1 \langle s \rangle_2$ (sequential composition)



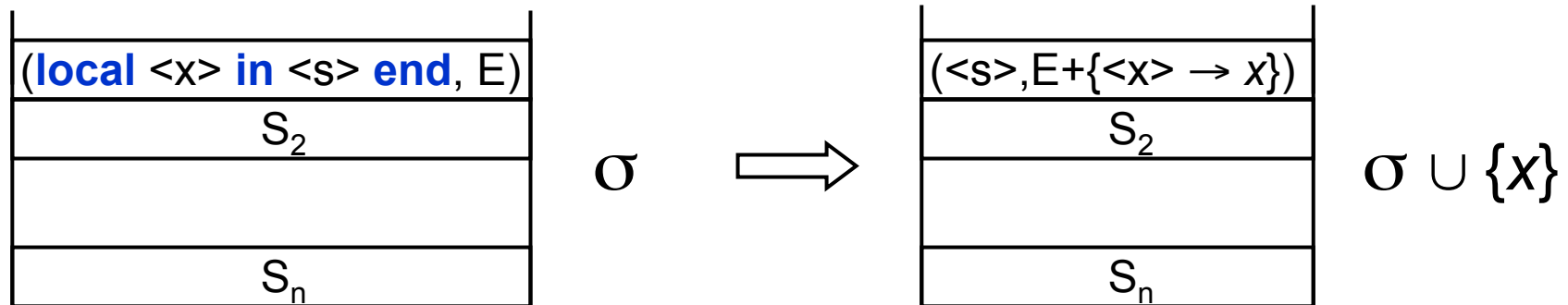
- Almost as simple as **skip**
- The instruction removes the top of the stack and adds two new elements
- Input state: $([(S_a S_b), S_2, \dots, S_n], \sigma)$
- Output state: $([S_a, S_b, S_2, \dots, S_n], \sigma)$





local <x> in <s> end

- Create a fresh new variable x in memory σ
- Add the link $\{X \rightarrow x\}$ to the environment E (using adjunction)



Some comments on the other instructions



- $\langle x \rangle = \langle v \rangle$ (value creation + assignment)
 - **Note:** when $\langle v \rangle$ is a procedure, you have to create the contextual environment
- **if** $\langle x \rangle$ **then** $\langle s \rangle_1$ **else** $\langle s \rangle_2$ **end** (conditional)
 - **Note:** if $\langle x \rangle$ is unbound, the instruction will wait (“block”) until $\langle x \rangle$ is bound to a value
 - The **activation condition:** “ $\langle x \rangle$ is bound to a value”
- **case** $\langle x \rangle$ **of** $\langle p \rangle$ **then** $\langle s \rangle_1$ **else** $\langle s \rangle_2$ **end**
 - **Note:** **case** statements with more patterns are built by combining several kernel instructions
- $\{ \langle x \rangle \langle y \rangle_1 \dots \langle y \rangle_n \}$
 - **Note:** since procedure definition and procedure call are the foundation of **data abstraction**, we will take a special look!